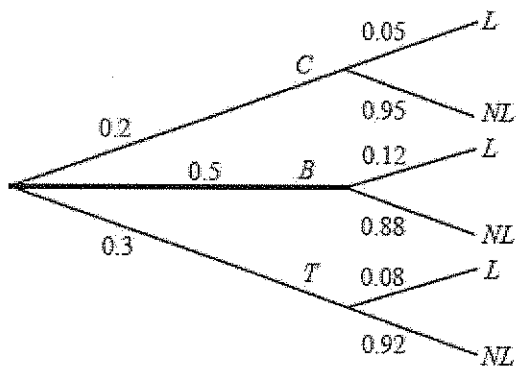


1. (a)



(A5) 5

Note: Award (A1) for 0.5 at B, (A1) for 0.3 at T, then (A1) for each correct pair. Accept fractions or percentages.

(b) 0.06

(A1)(ft) 1

Note: Accept 0.5×0.12 or 6%

(c) for a relevant two-factor product, either $C \times L$ or $T \times L$
for summing three two-factor products

$$(0.2 \times 0.05 + 0.06 + 0.3 \times 0.08)$$

(M1)(M1)

$$0.094$$

(A1)(ft)(G2) 3

(d) $\frac{0.3 \times 0.08}{0.094}$

(M1)(A1)(ft)

Note: Award (M1) for substituted conditional probability formula seen, (A1)(ft) for correct substitution

$$= 0.255$$

(A1)(ft)(G2) 3

[12]

2. (a) (i) P (a dog is grey and has the yellow bowl)

$$= \frac{1}{3} \times \frac{1}{3} = \frac{1}{9} (=0.111)$$

(M1)(A1)(G2)

Note: The (M1) is for multiplying two values along any branch of the tree.

(ii) P (dog does not get yellow bowl) = $\frac{2}{3}$ (=0.667(3sf) or 0.6)

(A1) 3

(b) (i) The tree diagram should show the values $\frac{1}{2}, \frac{1}{2}$ for the brown branch (A1)

and $\frac{1}{4}, \frac{3}{4}$ in the correct positions for the grey branch. (A1)(ft)

Note: Follow through if the branches are interchanged.

(ii) P (the dog is grey or is playing with a stick, but not both)

$$= \frac{1}{3} \times \frac{3}{4} + \frac{2}{3} \times \frac{1}{2} \quad (\text{M1})$$

$$= \frac{7}{12} (=0.583) \quad (\text{A1})(\text{ft})(\text{G1})$$

Notes: The (M1) is for showing two correct products (whether added or not).

Follow through from b(i).

Award (M1) for $\frac{1}{3} + \frac{1}{4}$ (must be a sum).

(iii) P (dog is grey given that it is playing with stick)

$$\frac{P(G \cap S)}{P(S)} = \frac{\frac{1}{3} \times \frac{1}{4}}{\left(\frac{2}{3} \times \frac{1}{2}\right) + \left(\frac{1}{3} \times \frac{1}{4}\right)} \text{ or } \frac{1}{12} / \frac{5}{12} \quad (\text{M1})(\text{A1})(\text{ft})$$

Note: (M1) for substituted conditional probability formula, (A1) for correct substitutions.

$$= \frac{1}{5} (=0.2) \quad (\text{A1})(\text{ft})(\text{G2})$$

(iv) P (grey and fed from yellow bowl and not playing with stick)

$$= \frac{1}{3} \times \frac{1}{3} \times \frac{3}{4} = \frac{1}{12} (= \frac{3}{36} = 0.0833 \text{ 3sf}). \quad (\text{M1})$$

(A1)(ft)(G1) 9

Note: (M1) is for product of 3 reasonable probability values.

[12]

3. (a) $\left(\frac{8}{15} \times \frac{7}{14}\right) \quad (\text{M1})$

$$= \frac{56}{210} = \frac{4}{15} (0.267) \quad (\text{A1}) (\text{C2})$$

Note: (M1) is for a product including at least one correct fraction.

(b) $\left(\frac{4}{15} \times \frac{3}{14}\right) + \left(\frac{3}{15} \times \frac{2}{14}\right) \quad (\text{M1})(\text{M1})$

Note: (M1) is for adding two products, the other (M1) is if both products attempt to deal with non-replacement and the numbers are not ridiculous.

$$= \frac{18}{210} \text{ or } \frac{3}{35} (0.0857) \quad (\text{A1}) (\text{C3})$$

Note: If one correct product is doubled this receives (M1)(M0)(A0)

(c) The probability is 0. (Allow answer “impossible” or equivalent.) (A1) (C1)

[6]

4. (a) For solving for $P(A \cap B)$ from the formula in their tables (M1)
 $P(A \cap B) = 0.2$ (A1) (C2)

(b) Because $0.4 \times 0.65 \neq 0.2$ need to see the numbers, not just a statement (R1)
Therefore no, not independent (A1) (C2)

Note: Cannot award (A1) if (R1) not awarded

(c) Because $P(A \cap B) \neq 0$ (R1)
Not mutually exclusive (A1) (C2)

Note: Cannot award (A1) if (R1) not awarded.

[6]